# Performance Programming I Exploiting the Power Processor 

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## Outline

- Exploiting the Power Processor (Monday)
- Peak processor performance:
- Is it attainable?
- What can go wrong?
- Tricks and pitfalls
- Skills
- Reading assembly code
- Timing \& profiling
- Lab
- Cache and TLB issues (Tuesday)


## Approach

- Engineer's method:
- DO UNTII (exhausted)
- tweak sometning
- IF (better) THEN accept change
- Scientific method:
- DO UNTIL (enlightened)
- make hypothesis
- experiment
- revise hypothesis


## Power3's power ... and limits

- Eight pipelined functional units
- 2 floating point
- 2 load/store
- 2 single-cycle integer
- 1 multi-cycle integer
- 1 branch
- Powerful operations
- Fused multiply-add (FMA)
- Load (or Store) update
- Branch on count
- Launch 4 ops per cycle
- Can't launch 2 stores/cyc
- FMA pipe 3-4 cycles long
- Memory hierarchy (Tues)


## Can its power be harnessed?

$$
\begin{aligned}
\text { for }(j=0 ; & j<n ; j+=4)\{ \\
\text { p00 } & +=a[j+0] * a[j+2] ; \\
\text { m00 } & =a[j+0] * a[j+2] ; \\
\text { p01 } & +=a[j+1] * a[j+3] ; \\
\text { m01 } & -=a[j+1] * a[j+3] ; \\
\text { p10 } & +=a[j+0] * a[j+3] ; \\
\text { m10 } & =a[j+0] * a[j+3] ; \\
\text { p11 } & +=a[j+1] * a[j+2] ; \\
\text { m11 } & =a[j+1] * a[j+2] ;
\end{aligned}
$$

8 FMA's
4 Loads

```
CL.6:
FMA fp31=fp31,fp2,fp0,fcr
LFL fp1=(*)double(gr3,16)
FNMS fp30=fp30,fp2,fp0,fcr
LFDU fp3,gr3=(*)double(gr3,32)
FMA fp24=fp24,fp0,fp1,fcr
FNMS fp25=fp25,fp0,fp1,fcr
LFL fp0=(*)double(gr3,24)
FMA fp27=fp27,fp2,fp3,fcr
FNMS fp26=fp26,fp2,fp3,fcr
LFL fp2=(*)double(gr3,8)
FMA fp29=fp29,fp1,fp3,fcr
FNMS fp28=fp28,fp1,fp3,fcr
BCT ctr=CL.6,
```

Runs at 4.6 cycles/iteration (= 772 MFLOP/S)

## Can its power be harnessed (part II)

- 8 FMA, 4 Load - 1.15 cycle/load (previous slide)
- 8 FMA, 6 Load - 1.3 cycle/load
- 8 FMA, 8 Load - 1.2 cycle/load
- 4 Add, 4 Load - 1.1 cycle/load
- Shift, Add, Load, Store - 1.15 cycle/MemOp
- Load, Store - 1.1 cycle/MemOp
- I haven't broken the 1 cycle/MemOp barrier!
- but I've only spent 2 days trying ...maybe the $A G E N$ unit is disabled ...


## FLOP to MemOp ratio

- Most programs have at most one FMA per MemOp
- Matrix-vector product: $(\mathrm{K}+1)$ loads, K fma's
- FFT butterfly: 8 MemOps, 10 floats (but 5 or 6 FMA)
- DAXPY: 2 Loads, 1 Store, 1 FMA
- DDOT: 2 Loads, 1 FMA
- A few have more (use ESSL!)
- Matrix multiply (well-tuned): 2 FMA per load
- Radix-8 FFT
- Performance is limited by Memory Operations!


## The effect of pipeline latency

```
for (i=0; i<size; i++) {
    sum = a[i] + sum;
}
```

Next add can't start until previous is finished (3 to 4 cycles later)

```
for (i=0; i<size; i+=4) { }\longrightarrow1.1\mathrm{ cycles/addition
        sum0 += a[i];
        sum1 += a[i+1];
        sum2 += a[i+2];
        sum3 += a[i+3];
}
sum = sum0+sum1+sum2+sum3;
```

May change answer due to different rounding.

## What's so great about Fortran??

$\begin{array}{rl}\mathrm{DO} & \mathrm{I}=1, \mathrm{~N} \\ \mathrm{~A}(\mathrm{I}) & =\mathrm{B}(\mathrm{I})\end{array}$
ENDDO

CL. 8 :

L4A
L4A
L4A
L4AU
ST4A
ST4A
ST4A
ST4U
BCT
$\operatorname{gr} 0=b(g r 5,4)$
gr6=b (gr5, 8)
gr7=b (gr5,12)
$\mathrm{gr} 8, \mathrm{gr} 5=\mathrm{b}(\mathrm{gr} 5,16)$
a $(\mathrm{gr} 4,8)=\mathrm{gr} 6$
a $(\operatorname{gr} 4,4)=g r 0$
a $(\operatorname{gr} 4,12)=\operatorname{gr} 7$
gr4,a(gr4,16) $=g r 8$
ctr=CL.8,

```
for (i=0; i<N; i++) {
    b[I] = a[i];
}
```


CL. 6:

ST4U gr4, (*) int (gr4, 4) =gr24
L4AU gr24,gr3=(*)int(gr3,4)
BCT ctr=CL.6,

## Fortran vs C - what's going on??

- C prevents compiler from unrolling code
- A feature, not a bug!
- User may want $b$ [0] and $a$ [1] to be same location
- tricky way to set $a[n]=\ldots . . .=a[1]=a[0]$
- Most C compilers don't try to prove non-aliasing
- a and b were malloc-ed in this example
- Fortran doesn't allow arrays to be aliased
- Unless explicit, e.g. via equivalence


## Fortran vs. C - does it matter??

- Yes - Fortan code should perform better
- My tests show both are about 1 cycle/MemOp
- Fortran should be .5 cycle/MemOp
- No - you could get the "Fortran" object code from

```
for (i=0; i<N; i+=4) {
        b0 = a[i];
        b1 = a[i+1];
        b2 = a[i+2];
        b3 = a[i+3];
        b[i] = b0;
        b[i+1] = b1;
        b[i+2] = b2;
        b[i+3] = b3;
}
```


## Miscellany

- Excellent reference:
- RS/6000 Scientific and Technical Computing: Power3 Introduction and Tuning Guide
- Use ESSL and PESSL if appropriate
- MASS is much faster for intrinsic functions
- But may differ in last bit from IEEE standard
- I'm carter@cs.ucsd.edu, www.cs.ucsd.edu/users/carter


# Performance Programming II Cache and TLB Issues 

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## Stride one memory access



## Strided Memory Access

Program adds 4440 integers located at given stride


## Strided Memory Access

Program adds 22200 integers located at given stride


## Strided Memory Access

Square - 4,440 element sum, diamond - 22,200 element sum


## Decreasing MemOp to FLOP Ratio

```
for (i=1; i<N; i++)
    for (j=1; j<N; j++)
        b[i,j] = 0.25 *
                (a[i-1][j] + a[i+1][j]
                + a[i,j-1] + a[i][j-1]);
            \downarrow
for (i=1; i<N-2; i+=3) {
    for(j=1; j<N; j++) {
        b[i+0][j] = ... ;
        b[i+1][j] = ... ;
        b[i+2][j] = ... ;
    }
}
for (i = i; i < N; i++) {
    ... ; /* Do last rows */
```



5 loads / 12 floats
3 store

