

Digital Data (2)

①

I) 1) Natural numbers (+ ∅)

N = thirty five

Our world

Computer world

$$N = a10^3 + b10^2 + c10 + d$$

↓

$$0 \times 10^3 + 0 \times 10^2 + 3 \times 10 + 5$$

$$(35)_{10}$$

$$N = a2^5 + b2^4 + c2^3 + d2^2 + e2 + f$$

R

35

17

1

17

8

1

8

4

0

4

2

0

2

1

0

1

0

1

$$(100011)_2$$

(1 0 0 0 1)₂

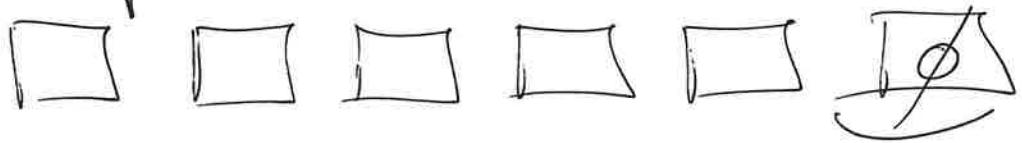
②

1 bit : " basic unit of information
on a computer "

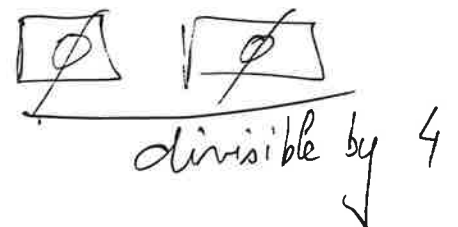
8 bits : 

1 k byte : 1024 bytes

Anecdotic information

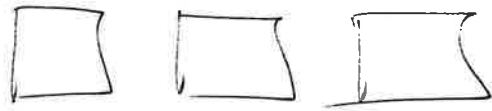


divisible by 2
"even"


divisible by 4



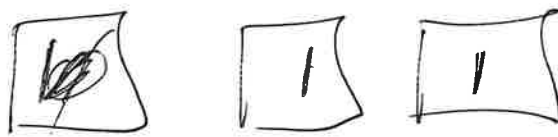
If you have a number represented ③
on 3 bits



smallest:



largest:



$$2^2 \quad 2 \quad 2^0 = (7)_{10}$$

N bits:

smallest number: $\emptyset$

largest number:

$$2^{N-1} + 2^{N-2} + \dots + 2 + 1 = 2^N - 1$$

Number of members: 2^N

I) 2) Integers

Integers regroup $\left\{ \begin{array}{l} \text{"positive integers"} \equiv \text{Natural numbers} \\ \emptyset \\ \text{"negative integers"} \end{array} \right.$

We have the concept of sign

Convention: $-N$ means negative integer
 $+N$ means positive integer

Option 1

You add in front of the number what is referred to as a bit sign.

$\boxed{0}$

positive

$\boxed{1}$

negative

Example: $(7)_{10} = \boxed{1} \boxed{0} \boxed{1}$

as a natural number

As cm integer, 7

(5)

$$\boxed{0} \boxed{1} \boxed{1} \boxed{1} : +7$$

$$\boxed{1} \boxed{1} \boxed{1} \boxed{1} : -7$$

If I show to you the number

$$\boxed{1} \boxed{1} \boxed{\emptyset} \boxed{1}$$

this is ambiguous!

$$\begin{array}{ccccccc} \boxed{1} & \boxed{1} & \boxed{\emptyset} & \boxed{1} & = & (13)_{10} \\ 2^3 & 2^4 & 2^1 & 2^0 & & \end{array}$$

$$\text{or } \boxed{1} \boxed{1} \boxed{\emptyset} \boxed{1} = (-5)_{10}$$

$$\boxed{} \boxed{} \boxed{} \boxed{} \boxed{}$$

natural number:

$$\text{largest number } 2^5 - 1 = 31$$

integer:

$$\text{largest number: } 2^4 - 1 = 15$$

Integers:

16



or

