

Name: \_\_\_\_\_

Directions: MAKE SURE TO COPY YOUR ANSWERS TO A SEPARATE SHEET FOR SENDING ME AN ELECTRONIC COPY LATER.

**1.** This problem concerns the parking space model, pp.66ff. Let  $O_i$  denote the number of open spaces in the  $i^{th}$  block.

- (a) (10) Find  $p_D(0)$ .
- (b) (10) Give a loop-free R expression for  $P(N \leq 5)$ , using one or more of the functions on p.66.
- (c) (10) Give a loop-free R expression for  $P_{O_2}(3)$ .
- (d) (15) Give a loop-free R expression for  $Var(O_1 - O_2)$ .
- (e) (10) Give a loop-free R expression for  $Var(|O_1 - O_2|)$ .
- (f) (15) Give a loop-free R statement to place between lines 5 and 6 in the code on p.67 that will print the approximate value of  $E(1/(1 + D^2))$ .

**2.** (15) Give a single, loop-free R statement to replace lines 9-10 in the ALOHA network model on p.57, making use of one of the functions introduced in Chapter 3. Think of the notebook!

**3.** (15) In the bus ridership model, first introduced in Sec. 2.11, find  $P(L_3 = 5 | L_2 = 8 \text{ and } B_3 = 1)$ .

**Solutions:**

**1a.**  $p_D(0) = P(D = 0) = P(N = 11) = (1 - 0.15)^{10}0.15$

**1b.**  $\text{pgeom}(5,0.15)$

**1c.**  $\text{dbinom}(3,10,0.5)$

**1d.**  $\text{Var}(O_1 - O_2) = \text{Var}(O_1) + \text{Var}(O_2) = 2 \cdot 10 \cdot 0.15(1 - 0.15)$

**1e.** Same as (d); see definition of  $\text{Var}()$ .

**1f.**  $\text{mean}(1/(1+dvals^2))$

**2.**  $\text{rbinom}(1,2,p)$

**3.**  $\text{dbinom}(4,8,0.2)$